# Performance of Lithium and Sodium Ion Batteries and their Efficiencies



### I. Introduction

Do vou know anv common household appliances that use lithium ion batteries? High reliance on lithium ion batteries, however sodium ion batteries could provide a better alternative.

Applications of this project seeks to enhance functionalities of existing Lithium ion batteries and explore Sodium-based batteries due to this greater abundance and economic viability. As society relies on portable electronic devices and renewable energy sources, optimizing battery performance becomes crucial.



**High Demand for** Lithium-Ion Batteries





Figure 2: Projected SIB usage from cicenerygigune.com

Industrial Innovation: Exploration of SIB, positions itself as a potential next-generation industrial innovation, Typically have a lower environmental impact compared to LIBs.

Electric Vehicles: While LIBs dominate market, SIBs are being researched, abundance and lower cost of sodium make it an attractive

alternative, sustainable and cost-effective

## II. Objective

To conduct product design focusing on screening and optimizing various elements/ parameters to enhance performance of batteries.

# Dielectric Constants, Valence Types, Molecular Weight

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### **III. Background**

# Θ **Bulk Liquid** (+)Double laver Solid Surface

Figure 3: Electric Double Layer Charge Distribution Guoy-Chapman Theory: describes electrical double layer; distribution of charges at interface between an electrolyte solution and a charged interface

$$\sinh\left(\frac{ze\phi(x)}{4kT}\right) = \sinh\left(\frac{ze\phi_s}{4kT}\right) \cdot \exp\left(-\frac{x}{\lambda}\right)$$

 $\phi(x)$  is the electrical potential at a distance x from the charged surface,

• e is the elementary charge φ<sub>e</sub> is the potential at the surface. z is the ion valence,

k is the Boltzmann constant.

#### T is the temperature.

Debye Hückel Theory: measure of how far electric fields can penetrate into an electrolyte solution, predicts behavior of charged particles in a medium

$$\lambda_D = \left(rac{arepsilon \cdot k \cdot T}{n \cdot e^2}
ight)^1$$

- λ<sub>D</sub> is the Debye length, ε is the permittivity of the medium,
- n is the number density of ions in the medium.

Linearized Guoy-Chapman Theory: provides approximation for the electrical potential as a function of distance from the charged surface, charged surface are small. Used Taylor series expansion



Figure 5: Dimensionless Voltage vs Molarity Graph Figure 6: Corrected Unit Voltage vs Molarity Graph Discussion: Sodium State Batteries showed higher electric potential by around ~18%. Sodium has larger atomic weight than Lithium, allows for greater separation of charge

in anode and cathode, potentially leading to higher voltage. Redox potentials of sodium materials may be more favorable than those of lithium-based. Sodium-based batteries use different anode and cathode materials than lithium-based batteries.

Conclusion: Through this project, I was able to apply these 3 theories and formalize a code to compare Lithium and Sodium State Batteries. These theories are very limited as there is so much more research and testing needed to fully compare and ensure fair key assumption that the electric potential and ion concentrations neal particularly in comparing different elements like lithium and sodium, this project serves

as a stepping stone. Understanding the complexities of battery performance is crucial for the development of more efficient and sustainable energy storage solutions. I thank Cal Poly Pomona and my advisors that I was able to have this opportunity to further my knowledge into my true passion which is sustainable development.

two elementary charges

 $\phi(x) = rac{2kT}{e} \ln\left(\cosh\left(rac{ze\phi_s}{4kT}
ight)
ight) - rac{ze\phi_s}{2} anh\left(rac{ze\phi_s}{4kT}
ight)$ 

equals the thermal energy; i.e. stabilitv 1/2

$$\lambda_B = rac{e^2}{4\piarepsilonarepsilon_0 kT}$$

•  $\lambda$  is the Debye length

**Bierrum Length:** 

• 
$$\lambda_B$$
 is the Bjerrum length,  
'  $arepsilon_0$  is the vacuum permittivity,

x

